Fractions: Assessment of Mastery at KS1 and KS2

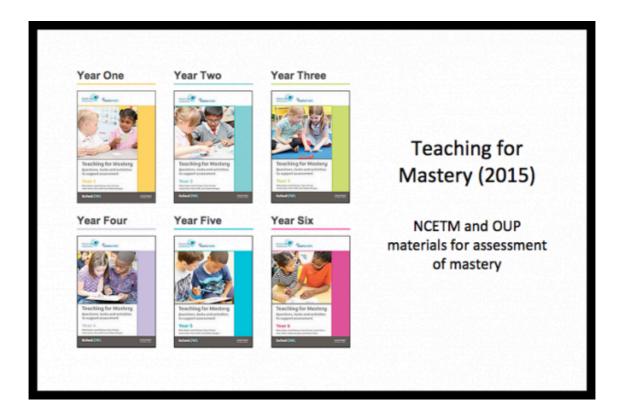


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KS1 and KS2

Mastery documents available from https://www.ncetm.org.uk/resources/46689

Year 1: Assessment of Mastery and Mastery with Greater Depth

	Frac	tions
Selected National Curriculum Progra	mme of Study Statements	
Pupils should be taught to:		
	ne of two equal parts of an object, shape or o	
	as one of four equal parts of an object, shape	or quantity
The Big Ideas		
		ure children express this relationship when talking about fractions. For example, 'If he whole, one part is one quarter of the whole circle.'
	t, shape or quantity into two equal parts.	
The two parts need to be equivalent in	n, for example, area, mass or quantity.	
Mastery Check		
		tasks and questions that provide evidence for mastery and mastery with greater
		out certain procedures and answer questions like the ones outlined, but the ns such as 'Why?', 'What happens if?', and checking that pupils can use the
procedures or skills to solve a variety of		
м	astery	Mastery with Greater Depth
Colour half of each whole shape:	Which of these show half of each whole	What fraction of the whole shape is shaded?
	shape?	
	Explain your reasoning.	Explain your reasoning.
	Children should talk about the two parts	
	needing to be equal parts of the whole.	
Check that pupils do not think that just		
dividing a shape into any two pieces is	_	
halving but understand that they need t be equal pieces.	0	
		Teaching for Mastery: Questions, tasks and activities to support assessme
N	lasteru	1
	lastery e.	Teaching for Mastery: Questions, tasks and activities to support assessmer Mastery with Greater Depth Shade each whole shape to show half in four different ways.
		1
N Shade to show half of the whole shap		Mastery with Greater Depth
		Mastery with Greater Depth
Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.
	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.
Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.
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Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.
Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.
Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways. Image:
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Shade to show half of the whole shap	e.	Mastery with Greater Depth Shade each whole shape to show half in four different ways.



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		Mastery					y with Greater	Depth	
and 2 bananas. How many of ea	nare the fruit equa ach fruit do they re		pples, 4 oranges	s, 2 pears	Sam and Tom sha banana. How many of eac			pples, 3 oranges,	, 1 pear and 1
Complete the ta	able below.				Complete the tab	le below.			
	Apples	Oranges	Bananas	Pears		Apples	Oranges	Bananas	Pears
Sam					Sam				
Tom									
Four children sh	nare a pizza equall		m to show how i	much pizza each	Four children sha each child gets.		, ,	am to show how	much pizza
Four children sh child gets. What fraction o Four children sh many marbles e	f the pizza does ea	ach child eat? arbles equally. D	braw a diagram ti		Four children sha	he pizzas does e re two bags of 8 ch child gets.	each child eat?	y. Draw a diagram	
Four children sh child gets. What fraction o Four children sh many marbles e	f the pizza does ea hare a bag of 12 m hach child gets. f the bag of marbl	ach child eat? arbles equally. D	braw a diagram ti		Four children sha each child gets. What fraction of t Four children sha many marbles ea	the pizzas does of the pizzas does do not be pizzas does does does does does does does doe	each child eat?	y. Draw a diagram	
Four children sh child gets. What fraction o Four children sh many marbles e What fraction o	f the pizza does ea hare a bag of 12 m hach child gets. f the bag of marbl	ach child eat? arbles equally. D	braw a diagram ti		Four children sha each child gets. What fraction of t Four children sha many marbles ea What fraction of o	the pizzas does of re two bags of 8 ch child gets. one bag of marb lving wall. onship between	each child eat? marbles equally	r. Draw a diagram hild get?	to show how
Four children sh child gets. What fraction o Four children sh many marbles e What fraction o	f the pizza does ea nare a bag of 12 m each child gets. f the bag of marbl alving wall.	ach child eat? arbles equally. D	braw a diagram ti		Four children sha each child gets. What fraction of t Four children sha many marbles ea What fraction of o Complete this ha What is the relation	the pizzas does of re two bags of 8 ch child gets. one bag of marb lving wall. onship between	each child eat? marbles equally	r. Draw a diagram hild get?	to show how
Four children sh child gets. What fraction o Four children sh many marbles e What fraction o Complete this h	f the pizza does ea nare a bag of 12 m each child gets. f the bag of marbl alving wall.	ach child eat? arbles equally. D les does each chi	iraw a diagram tr ild get?		Four children sha each child gets. What fraction of t Four children sha many marbles ea What fraction of o Complete this ha What is the relation	the pizzas does of re two bags of 8 ch child gets. Jone bag of marb lving wall. onship between oning.	each child eat? marbles equally	r. Draw a diagram hild get?	to show how

Year 2: Assessment of Mastery and Mastery with Greater Depth

	Fra	ctions
Selected National Curriculum Programme of	Study Statements	
Pupils should be taught to:	1 2 and 3 of a longth shape set of a	black or quantity
 recognise, find, name and write fractions 1, write simple fractions, for example 1/2 of 6 = 3 	\pm , \pm and \pm of a length, shape, set of 0 4 4 4 4 3 and recognise the equivalence of $\frac{2}{3}$	and 1
The Big Ideas	and recognise the equivalence of 4	2
-		dren express this relationship when talking about fractions. For example, 'If the bag
Partitioning or 'fair share' problems when each	n share is less than one gives rise to f	ractions.
Measuring where the unit is longer than the it	em being measured gives rise to fra	ctions.
depth of the selected programme of study sta	tements. Pupils may be able to carry	f tasks and questions that provide evidence for mastery and mastery with greater out certain procedures and answer questions like the ones outlined but the teached
depth of the selected programme of study sta will need to check that pupils really understan	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as 'Why?', 'What happens if?', and checking that pupils can use the procedures or
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems.	tements. Pupils may be able to carry ad the idea by asking questions such	out certain procedures and answer questions like the ones outlined but the teacher
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete:	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as 'Why?', 'What happens if?, and checking that pupils can use the procedures or Mastery with Greater Depth
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. <u>Mastery</u> Complete: Half of 12 is	tements. Pupils may be able to carry ad the idea by asking questions such	r out certain procedures and answer questions like the ones outlined but the teacher as 'Why?,' What happens if?, and checking that pupils can use the procedures or Mastery with Greater Depth Complete:
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. <u>Mastery</u> Complete: Half of 12 is <u>4</u> of 12 is	tements. Pupils may be able to carry ad the idea by asking questions such	r out certain procedures and answer questions like the ones outlined but the teacher as "Why?; "What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of □ is 6 $\frac{2}{4}$ of □ is 6
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is $\frac{2}{4}$ of 12 is $\frac{1}{4}$ of 20 =	tements. Pupils may be able to carry ad the idea by asking questions such	r out certain procedures and answer questions like the ones outlined but the teacher as "Why?; "What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of □ is 6
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is ² / ₄ of 12 is	tements. Pupils may be able to carry ad the idea by asking questions such	<pre>v out certain procedures and answer questions like the ones outlined but the teacher as "Why?," What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of [] is 6 ²/₄ of [] is 6 ¹/₄ of [] = 5</pre>
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is $\frac{2}{4}$ of 12 is $\frac{1}{4}$ of 20 =	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as "Why?," What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of \square is 6 $\frac{2}{4}$ of \square is 6 $\frac{1}{4}$ of \square = 5 $\frac{3}{4}$ of \square = 15
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is $\frac{2}{4}$ of 12 is $\frac{1}{4}$ of 20 =	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as "Why?," What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of \square is 6 $\frac{2}{4}$ of \square is 6 $\frac{1}{4}$ of \square = 5 $\frac{3}{4}$ of \square = 15
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is $\frac{2}{4}$ of 12 is $\frac{1}{4}$ of 20 =	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as "Why?," What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of \square is 6 $\frac{2}{4}$ of \square is 6 $\frac{1}{4}$ of \square = 5 $\frac{3}{4}$ of \square = 15
depth of the selected programme of study sta will need to check that pupils really understan skills to solve a variety of problems. Mostery Complete: Half of 12 is $\frac{2}{4}$ of 12 is $\frac{1}{4}$ of 20 =	tements. Pupils may be able to carry ad the idea by asking questions such	v out certain procedures and answer questions like the ones outlined but the teacher as "Why?," What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Complete: Half of \square is 6 $\frac{2}{4}$ of \square is 6 $\frac{1}{4}$ of \square = 5 $\frac{3}{4}$ of \square = 15



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	Teaching for Mastery: Questions, tasks and activities to support assessment
Mastery	Mastery with Greater Depth
Shade $\frac{1}{3}$ of each shape.	Use the pictures to complete the number sentences.
	$\begin{array}{c c c c c c c c c c c c c c c c c c c $
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
	is less than <
	is greater than >
	$\begin{array}{ c c c c c }\hline & 1 \\ \hline & 3 \\ \hline \end{array}$
	$\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$
	$\frac{3}{2}$ is greater than $\frac{2}{2}$ $\frac{3}{2}$ is less than $\frac{3}{2}$
Jo bought a bag of 12 cherries.	Jo bought a bag of cherries.
Jo ate half the number of cherries in the bag.	Jo ate half the number of cherries in the bag.
How many cherries did Jo eat?	Jo had 7 cherries left. How many cherries did Jo buy?
Sam bought a bag of 18 cherries.	Sam bought a bag of cherries.
Sam ate 6 cherries.	Sam ate 9 cherries and had 3 left over.
What fraction of the bag of cherries did Sam eat?	What fraction of the bag of cherries did Sam eat?
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	Teaching for Mastery: Questions, tasks and activities to support assessment
Mastery	Mastery with Greater Depth
If you count in steps of $\frac{1}{2}$ starting from 0, how many steps will it take to reach:	$\frac{1}{3}$ of 3 = 1
2, 4 or 6	$\frac{1}{3}$ of 6 = 2
What do you notice?	$\frac{1}{3}$ of 9 = 3
	$\frac{1}{3}$ of 12 =
	Continue the pattern.
	What do you notice?

Mastery	Mastery with Greater Depth
If you count in steps of $\frac{1}{2}$ starting from 0, how many steps will it take to reach: 2, 4 or 6 What do you notice?	$\frac{1}{3} \text{ of } 3 = 1$ $\frac{1}{3} \text{ of } 6 = 2$ $\frac{1}{3} \text{ of } 9 = 3$ $\frac{1}{3} \text{ of } 12 =$ Continue the pattern. What do you notice?
Shade the cylinders. Shade the cylinders.	Mark another fraction on this line. And another, and another.
Which of these diagrams have $\frac{1}{4}$ of the whole shaded?	Colour in $\frac{1}{4}$ of each of these grids in a different way. Try to think of an unusual way

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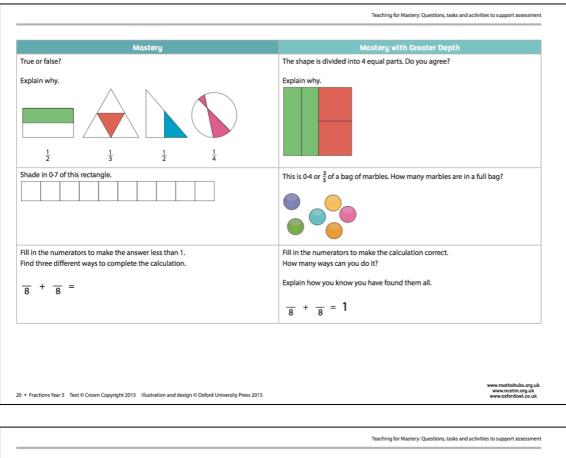
	Teaching for Mastery: Questions, tasks and activities to support assessment
Mastery	Mastery with Greater Depth
Jayne says that the shaded part of the whole square below does not show a half because there are three pieces, not two.	What fraction is the red part of the whole circle?
Do you agree?	Explain your reasoning.
Explain your reasoning.	
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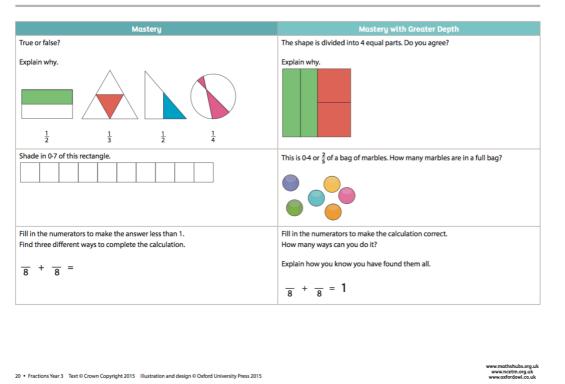
Year 3: Assessment of Mastery and Mastery with Greater Depth

	Fractions
Selected National Curriculum Programme of Study Statements	
Pupils should be taught to:	
count up and down in tenths; recognise that tenths arise from dividing	g an object into ten equal parts and in dividing 1-digit numbers or quantities by ten
recognise, find and write fractions of a discrete set of objects: unit fractions	ctions and non-unit fractions with small denominators
recognise and use fractions as numbers: unit fractions and non-unit fractions	ractions with small denominators
recognise and show, using diagrams, equivalent fractions with small d	
add and subtract fractions with the same denominator within one who	
compare and order unit fractions, and fractions with the same denomi	inators
solve problems that involve all of the above	
The Big Ideas	
Fractions are equal parts of a whole.	
Equal parts of shapes do not need to be congruent but need to be equal	Lie and
	i in area.
Decimal fractions are linked to other fractions.	
Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think ab Mastery Check	bout fractions as numbers.
Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think ab Mastery Check Please note that the following columns provide indicative examples of th depth of the selected programme of study statements. Pupils may be ab	
Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think ab Mastery Check Please note that the following columns provide indicative examples of th depth of the selected programme of study statements. Pupils may be ab will need to check that pupils really understand the idea by asking quest	bout fractions as numbers. he sorts of tasks and questions that provide evidence for mastery and mastery with greater le to carry out certain procedures and answer questions like the ones outlined but the teache
Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think ab Mastery Check Please note that the following columns provide indicative examples of th depth of the selected programme of study statements. Pupils may be ab will need to check that pupils really understand the idea by asking quest skills to solve a variety of problems.	bout fractions as numbers. he sorts of tasks and questions that provide evidence for mastery and mastery with greater le to carry out certain procedures and answer questions like the ones outlined but the teache tions such as 'Why?, 'What happens if?, and checking that pupils can use the procedures or Mastery with Greater Depth
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Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think ab Mastery Check Please note that the following columns provide indicative examples of th depth of the selected programme of study statements. Pupils may be ab will need to check that pupils really understand the idea by asking quest skills to solve a variety of problems. <u>Mastery</u> Six girls share three bars of chocolate equally. Four boys share two bars of chocolate equally. Does each girl get more chocolate, less chocolate or the same amount of	bout fractions as numbers. he sorts of tasks and questions that provide evidence for mastery and mastery with greater le to carry out certain procedures and answer questions like the ones outlined but the teacher tions such as 'Why?', 'What happens if?, and checking that pupils can use the procedures or <u>Mastery with Greater Depth</u> Jo ate $\frac{1}{4}$ of a pizza and Sam ate $\frac{1}{2}$ of what was left. Mike ate the rest of the pizza. Draw a diagram to show how much pizza Jo, Sam and Mike each ate.



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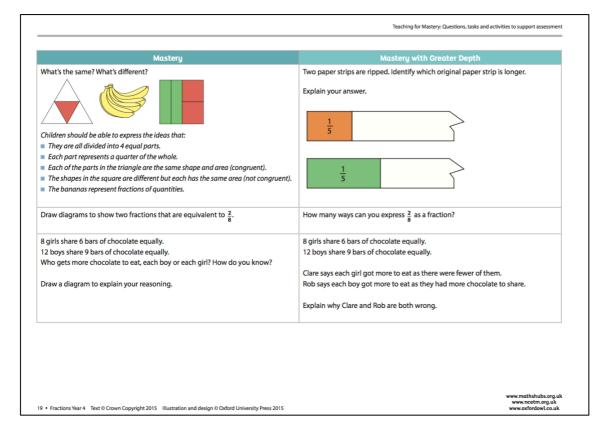






Year 4: Assessment of Mastery and Mastery with Greater Depth

	Recettore
	Fractions
Selected National Curriculum Programme of Study Statements	
Pupils should be taught to:	
 recognise and show, using diagrams, families of common equivalent 	
 solve problems involving increasingly narder fractions to calculate q whole number 	uantities, and fractions to divide quantities, including non-unit fractions where the answer is a
add and subtract fractions with the same denominator	
recognise and write decimal equivalents of any number of tenths or	hundredths
recognise and write decimal equivalents to $\frac{1}{4}$, $\frac{1}{2}$, $\frac{3}{4}$	
round decimals with one decimal place to the nearest whole number	r
compare numbers with the same number of decimal places up to two	
solve simple measure and money problems involving fractions and one	decimals to two decimal places
Fractions arise from solving problems, where the answer lies between Fractions express a relationship between a whole and equal parts of a involving fractions. For example, in response to the question <i>What frac</i>	two whole numbers. whole. Children should recognise this and speak in full sentences when answering a question tion of the chocolate bar is shaded? the pupil might say Two sevenths of the whole chocolate bar.
involving fractions. For example, in response to the question <i>What frac</i> shaded. Equivalency in relation to fractions is important. Fractions that look ver Mastery Check Please note that the following columns provide indicative examples of depth of the selected programme of study statements. Pupils may be a	whole. Children should recognise this and speak in full sentences when answering a question tion of the chocolate bar is shaded? the pupil might say Two sevenths of the whole chocolate bar
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Fractions arise from solving problems, where the answer lies between is Fractions express a relationship between a whole and equal parts of a involving fractions. For example, in response to the question <i>What frac</i> <i>shaded</i> . Equivalency in relation to fractions is important. Fractions that look ver Mastery Check Please note that the following columns provide indicative examples of depth of the selected programme of study statements. Pupils may be a teacher will need to check that pupils really understand the idea by as procedures or skills to solve a variety of problems. <u>Mastery</u> Put these fractions on the number line:	whole. Children should recognise this and speak in full sentences when answering a question tion of the chocolate bar is shaded? the pupil might say Two sevenths of the whole chocolate bar ry different in their symbolic notation can mean the same thing. "the sorts of tasks and questions that provide evidence for mastery and mastery with greater bible to carry out certain procedures and answer questions like the ones outlined, but the king questions such as 'Why?' What happens if?; and checking that pupils can use the Mastery with Greater Depth Insert the symbol >, < or = to make each statement correct.
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Fractions arise from solving problems, where the answer lies between a Fractions express a relationship between a whole and equal parts of a involving fractions. For example, in response to the question <i>What frac</i> shaded. Equivalency in relation to fractions is important. Fractions that look ver Mastery Check Please note that the following columns provide indicative examples of depth of the selected programme of study statements. Pupils may be a teacher will need to check that pupils really understand the idea by as procedures or skills to solve a variety of problems. Mastery Put these fractions on the number line:	whole. Children should recognise this and speak in full sentences when answering a question tion of the chocolate bar is shaded? the pupil might say Two sevenths of the whole chocolate bar ry different in their symbolic notation can mean the same thing. "the sorts of tasks and questions that provide evidence for mastery and mastery with greater bible to carry out certain procedures and answer questions like the ones outlined, but the king questions such as 'Why?' What happens if?; and checking that pupils can use the Mastery with Greater Depth Insert the symbol >, < or = to make each statement correct.



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Mastery	Mastery with Greater Depth
Find:	Captain Conjecture says,
10 of 10	'To find a tenth of a number I divide by 10 and to find a fifth
10 of 20	of a number I divide by 5.
10 of 30	Do you agree?
1 10 of 40	Explain your reasoning.
110 of 50	
What do you notice?	
If the picture represents $\frac{2}{12}$ of a rectangle, draw a picture of the whole rectangle.	If the picture represents $\frac{1}{3}$ of a shape, draw the whole shape.
Can you draw it in two different ways?	
True or false?	Peter wrote down two fractions. He subtracted the smaller fraction from the
$\frac{1}{5} + \frac{2}{5} = \frac{3}{5}$	larger and got $\frac{1}{8}$ as the answer. Write down two fractions that Peter could have subtracted.
$\frac{1}{5} + \frac{2}{5} = \frac{3}{10}$ $\frac{1}{5} + \frac{2}{5} = \frac{6}{10}$	Can you find another pair?
Explain your reasoning.	

Mastery	Mastery with Greater Depth
Match each fraction to its decimal equivalent. $\frac{1}{2}$ $\frac{4}{10}$ $\frac{3}{4}$ $\frac{1}{4}$ 0-25 0-75 0-4 0-5	Using these cards can you make a number between 4-1 and 4-61?
Circle the equivalent fraction to 0-25. $\frac{2}{5}$ $\frac{2}{100}$ $\frac{25}{25}$ Round to the nearest whole number. $8\frac{3}{8}$ 8-38 8-83	What is the smallest number you can make using all four cards? What is the largest number you can make using all four cards?
A soup recipe uses $\frac{3}{4}$ as many onions as carrots. Jo is making the soup and has 8 carrots.	A soup recipe uses $\frac{3}{4}$ as many onions as carrots. Complete the table below.
How many onions does Jo use?	Carrots Onions
	1
	2
	3
	4
	5
	6
	Explain how you worked out the number of onions. Did you use the same methor each time?



Year 5: Assessment of Mastery and Mastery with Greater Depth

	Fra	ctions
Selected National Curriculum Programme of Study Sta	tements	
Pupils should be taught to:		
 identify, name and write equivalent fractions of a give recognise mixed numbers and improper fractions and ²/₅ + ⁴/₅ = ⁶/₅ = 1 ¹/₅) 		sually, including tenths and hundredths o the other and write mathematical statements > 1 as a mixed number (for example,
 add and subtract fractions with the same denominato 	or and denominators that	are multiples of the same number
 multiply proper fractions and mixed numbers by whole 	le numbers, supported by	y materials and diagrams
and as a decimal		ber of parts per hundred, and write percentages as a fraction with denominator 100,
solve problems which require knowing percentage an	nd decimal equivalents of	$\frac{1}{2}$, $\frac{1}{4}$, $\frac{1}{5}$, $\frac{2}{5}$, $\frac{4}{5}$ and those fractions with a denominator of a multiple of 10 or 25
Representations that may appear different sometimes has to the same idea.	ave similar underlying ide	eas. For example $\frac{1}{4}$, 0.25 and 25% are used in different contexts but are all connected
to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand i procedures or skills to solve a variety of problems.	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as 'Why?', 'What happens if?', and checking that pupils can use the
Representations that may appear different sometimes has to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand i procedures or skills to solve a variety of problems. Mastery	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as 'Why?', 'What happens if?', and checking that pupils can use the Mastery with Greater Depth
Representations that may appear different sometimes has to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand i procedures or skills to solve a variety of problems. Mastery	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as 'Why?', 'What happens if?', and checking that pupils can use the
Representations that may appear different sometimes has to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand i procedures or skills to solve a variety of problems. Mastery	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as 'Why?', 'What happens if?, and checking that pupils can use the <u>Mastery with Greater Depth</u> Write down two fractions where the denominator of one is a multiple of the
Representations that may appear different sometimes has to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand to procedures or skills to solve a variety of problems. Mastery Make each number sentence correct using =, > or <.	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as "Why?," What happens if?; and checking that pupils can use the <u>Mastery with Greater Depth</u> Write down two fractions where the denominator of one is a multiple of the denominator of the other.
Representations that may appear different sometimes has to the same idea. Mastery Check Please note that the following columns provide indicativ depth of the selected programme of study statements. P teacher will need to check that pupils really understand by procedures or skills to solve a variety of problems. <u>Mastery</u> Make each number sentence correct using =, > or <. $\boxed{\frac{3}{4} \ 1}{2}$ $\boxed{1\frac{3}{4} \ 2\frac{1}{2}}$	ve examples of the sorts o Pupils may be able to carr	f tasks and questions that provide evidence for mastery and mastery with greater y out certain procedures and answer questions like the ones outlined, but the ons such as 'Why?', 'What happens if?', and checking that pupils can use the <u>Mastery with Greater Depth</u> Write down two fractions where the denominator of one is a multiple of the denominator of the other. Which is the larger fraction?

Mastery	Mastery with Greater Depth	
Mark and label on this number line where you estimate that $\frac{3}{4}$ and $\frac{3}{8}$ are positioned.	Russell says $\frac{3}{8} > \frac{3}{4}$ because 8 > 4.	
$\begin{array}{c c} & & & \\ \hline & & & \\ 0 & & \frac{1}{2} & 1 \end{array}$	Do you agree? Explain your reasoning.	
Choose numbers for each numerator to make this number sentence true. $\frac{1}{15} > \frac{1}{10}$	Which is closer to 1? $\frac{7}{8}$ or $\frac{23}{24}$ Explain how you know.	
Chiz and Caroline each had two sandwiches of the same size. Chiz ate 1 $\frac{1}{2}$ of his sandwiches. Caroline ate $\frac{5}{4}$ of her sandwiches.	Chiz and Caroline each had two sandwiches of the same size. Chiz ate $1\frac{1}{4}$ of his sandwiches. Caroline ate $\frac{4}{5}$ of her sandwiches.	
Draw diagrams to show how much Chiz and Caroline each ate. Who ate more? How much more?	Fred said Caroline ate more because 5 is the biggest number. Tammy said Chiz ate more because she ate a whole sandwich. Explain why Fred and Tammy are both wrong.	



Mastery	Mastery with Greater Depth
Each bar of toffee is the same. On Monday, Sam ate the amount of toffee shown shaded in A. On Tuesday, Sam ate the amount of toffee shown shaded in B. How much more, as a fraction of a bar of toffee, did Sam eat on Tuesday?	Each bar of toffee is the same. On Monday, Sam ate the amount of toffee shown shaded in A. On Tuesday, Sam ate the amount of toffee shown shaded in B. A B B Sam says he ate $\frac{7}{9}$ of a bar of toffee. Jo says Sam ate $\frac{7}{16}$ of the toffee. Explain why Sam and Jo are both correct.
Using the numbers 5 and 6 only once, make this sum have the smallest possible answer: $\frac{1}{15} + \frac{1}{10} =$	Using the numbers 3, 4, 5 and 6 only once, make this sum have the smallest possible answer:
Graham is serving pizzas at a party. Each person is given $\frac{3}{4}$ of a pizza. Graham has six pizzas. How many people can he serve? Draw on the pizzas to show your thinking. $\begin{array}{c} \hline \hline$	Graham is serving pizzas at a party. Each person is given $\frac{3}{4}$ of a pizza. Fill in the table below to show how many pizzas he must buy for each number of guests. Guests Pizzas 4 - 6 - 10 - When will he have pizza left over?

Mastery	Mastery with Greater Depth
Krysia wanted to buy a coat that cost £80. She saw the coat on sale in one shop at soff. She saw the same coat on sale in another shop at 25% off. Which shop has the coat at a cheaper price?	Jack and Jill each go out shopping. Jack spends $\frac{1}{4}$ of his money. Jill spends 20% of her money. Frank says Jack spent more because $\frac{1}{4}$ is greater than 20%.
Explain your reasoning.	Alice says you cannot tell who spent more. Who do you agree with, Frank or Alice? Explain why.
Express the yellow section of the grid in hundredths, tenths, as a decimal and as a percentage of the whole grid. Do the same for the red section.	Suggest another way to colour the grid to show clearly each fraction that is shaded. What fraction of the grid is shaded in total? How many different ways can you express the fraction of the grid that is shaded?
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Year 6: Assessment of Mastery and Mastery with Greater Depth

	nd Dooimele
	nd Decimals
Selected National Curriculum Programme of Study Statements Pupils should be taught to:	
upils should be taught to: use factors to simplify fractions; use common multiples to express fractions in the second seco	ne same denominator
 compare and order fractions, including fractions > 1 	
add and subtract fractions with different denominators and mixed numbers, us	ing the concept of equivalent fractions
 multiply simple pairs of proper fractions, writing the answer in its simplest form 	[for example, $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$]
divide proper fractions by whole numbers [for example, $\frac{1}{3} \div 2 = \frac{1}{6}$]	
 multiply 1-digit numbers with up to two decimal places by whole numbers and use equivalences between simple fractions, decimals and percentages, incl 	uding in different contexts
	during in different contexts
The Big Ideas Fractions express a relationship between a whole and equal parts of a whole. Pupi involving fractions. For example, in response to the question 'What fraction of the the whole journey.'	Is should recognise this and speak in full sentences when answering a question journey has Tom travelled? the pupil might respond, Tom has travelled two thirds of
Equivalent fractions are connected to the idea of ratio: keeping the numerator and Putting fractions in place on the number lines helps understand fractions as numb	d denominator of a fraction in the same proportion creates an equivalent fraction. pers in their own right.
Mastery Check	
Please note that the following columns provide indicative examples of the sorts of depth of the selected programme of study statements. Pupils may be able to carry teacher will need to check that pupils really understand the idea by asking questio procedures or skills to solve a variety of problems.	out certain procedures and answer questions like the ones outlined, but the
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Mastery Only a fraction of each whole rod is shown. Using the given information, identify	www.netmorg.uk www.orderdowl.co.uk Teaching for Mastery: Questions, tasks and activities to support assessme Mostery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify
Mastery Only a fraction of each whole rod is shown. Using the given information, identify	www.netmorg.uk www.orderdowl.co.uk Teaching for Mastery: Questions, tasks and activities to support assessme Mostery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify
Mastery Dnly a fraction of each whole rod is shown. Using the given information, identify	www.netmorg.uk www.orderdowl.co.uk Teaching for Mastery: Questions, tasks and activities to support assessme Mostery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer.	www.netmorg.uk. www.netmorg.uk. www.netmorg.uk. www.netmorg.uk. www.netmorg.uk. Teaching for Mastery: Questions, tasks and activities to support assessmer Mastery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer 2 3
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer.	www.netmorg.uk www.orderdowl.co.uk Teaching for Mastery: Questions, tasks and activities to support assessme Mostery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer. 1	www.ndetmorg.uk. www.ndetmorg.uk. www.ndetmorg.uk. Teaching for Mastery: Questions, tasks and activities to support assessmer Mastery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 2 3 3 2 3 3 3 3 3 3 3 3 3 3 3 3 3 3
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer. 1	www.nettmorg.uk. www.nettmorg.uk. www.nettmorg.uk. www.nettmorg.uk. Teaching for Mastery: Questions, tasks and activities to support assessmer Mastery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer 2 3 9 Explain your reasoning.
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer. 1	www.netmorg.uk. www.netmorg.uk. www.netmorg.uk. Teaching for Mastery: Questions, tasks and activities to support assessmer Mostery with Greater Depth Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer $\frac{2}{7}$ $\frac{3}{9}$ Explain your reasoning. Which is the odd one out? $\frac{2}{5}$, 0-4, $\frac{4}{10}$, $\frac{3}{6}$, $\frac{6}{15}$
	www.netmorg.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.
Mastery Only a fraction of each whole rod is shown. Using the given information, identify which whole rod is longer. 1	www.netmorg.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.uk.

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Mastery	Mastery with Greater Depth
Put the following numbers on a number line: $\frac{3}{2}$, 0-5, 1-25, 3 ÷ 8, 0-125	Suggest a fraction that could be at point A, a decimal that could be at point B and an improper fraction that could be at point C on this number line. $\begin{array}{c} \downarrow \\ 0 \\ A \\ B \\ C \end{array}$
Dn Monday I ran $1\frac{2}{5}$ km and on Tuesday I ran $2\frac{2}{5}$ km. How far did I run altogether on these two days? Dn Wednesday I ran $1\frac{2}{3}$ km and my sister ran $2\frac{2}{5}$ km. How much further did my sister run than I did?	Altogether on Monday and Tuesday I ran $3\frac{1}{2}$ km. On neither day did I run a whole number of km. Suggest how far I ran on Monday and how far on Tuesday. On Wednesday I ran some km and my sister ran $1\frac{1}{6}$ km further than I did. Altogether we ran $4\frac{1}{2}$ km. How far did I run on Wednesday?
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	ess 2015 www.ncetm.org.uk www.cofordowl.co.uk
Mastery iam added two fractions together and got $\frac{2}{3}$ as the answer. Write down two fractions that Sam could have added. form wrote down two fractions. He subtracted the smaller fraction from the larger ind got $\frac{1}{5}$ as the answer. Write down two fractions that Tom could have subtracted. "orm and Sam shared equally one third of a chocolate bar.	www.netm.org.uk www.netm.org.uk www.notifudout.co.uk Teaching for Mastery: Questions, tasks and activities to support assessment Mastery with Greater Depth Roland cuts a sandwich into two pieces. First, Roland gives one piece to Ayat and the other piece to Claire, Then Claire gives Ayat half of her piece. Now Ayat has $\frac{2}{8}$ of the original sandwich. Did Roland cut the sandwich into two equal pieces? If not, how did he cut the

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Teaching for Mastery: Questions, tasks and activities to support asse	
Mastery	Mastery with Greater Depth
In each number sentence, replace the boxes with different whole numbers less than 20 so that the number sentence is true. $ \begin{array}{c} 1 \\ \times 3 \\ = \\ 3 \\ - \\ - \\ - \\ - \\ - \\ - \\ - \\ - \\ - \\ -$	True or false? True or false? The sum of two fractions is always greater than their product. If I divide a fraction by a whole number, the quotient is always smaller than the dividend. Explain your reasoning.
Curtis used $\frac{1}{3}$ of a can of paint to cover 3.5 square metres of wall.	Puja shares 6 apples between some friends. Each friend gets 0-75 of an apple.
How much wall will one whole can of paint cover?	How many friends does she share the apples with?
	<u>, , , , , , , , , , , , , , , , , , , </u>
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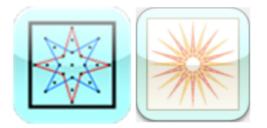
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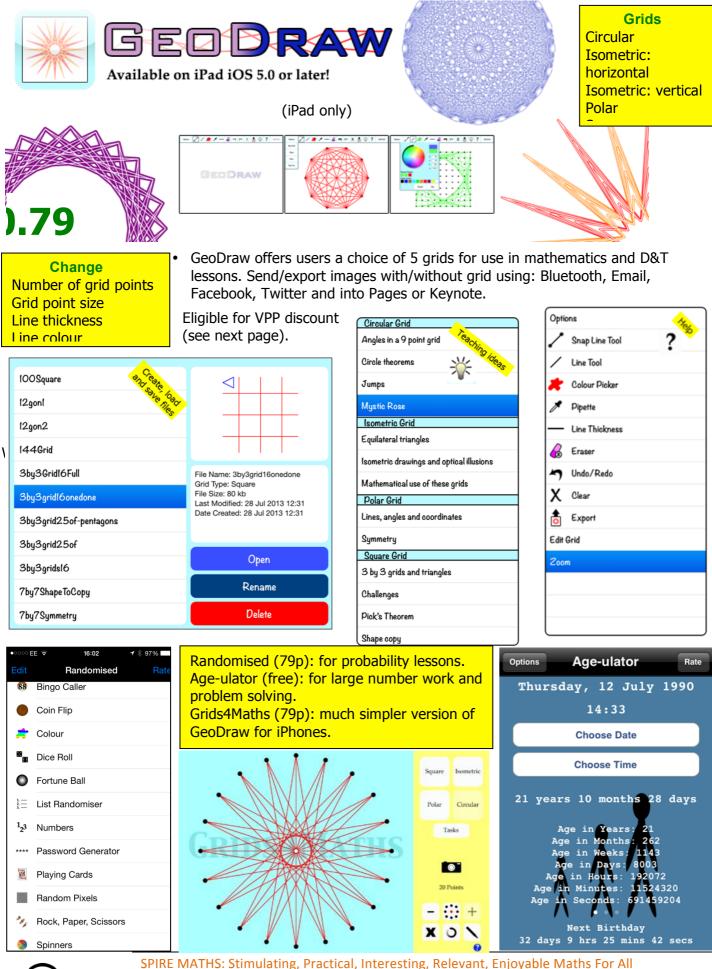
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